

# A Field Guide to Mathematics at Southampton

1st Year Student (25/26)

April 2, 2026

---

# WHAT THIS GUIDE IS (AND ISN'T)

Mathematics is one of the most beautiful things in the world and it brings joy and fulfilment and frustration in equal measure, and what more could you possibly want out of life

---

*Graham A. Niblo*

This is not a Maths textbook.

It won't teach you how to compute an integral or prove a theorem step by step. It won't replace lectures, problem sheets, or workshops, and it isn't a shortcut through the degree. Think of it instead as a transition guide, written from inside the experience and not from the other side of it.

There are countless books and resources about transitioning to university mathematics. However, most I found were written by people who had already finished the journey and looked back with clarity and hindsight, so I wanted something written from inside the process, something honest that reflects what progress feels like while it's happening.

This guide isn't here to solve all possible problems you may encounter, but it's here to help you think about how you learn. It attempts to articulate the parts of the degree that may be scattered across multiple places. You don't need to read it all at once. Some chapters might resonate immediately, others might make more sense later.

In the chapters that follow, I'll talk about:

- The shift from school mathematics to university mathematics
- Types of classes and coursework
- Workshops and supporting resources
- How to approach problem solving
- Revision, exams, and time management
- Outsourcing thinking
- Asking for help and providing feedback

I've also scattered a few [xkcd](#) references along the way because sometimes, a well-timed joke explains the mood of mathematics better than a paragraph every could.

Not everyone signs up for a maths degree wanting a philosophical reflection on learning, and that's completely fine. But if you want to care about how you learn, and not just what you learn, I hope this helps.

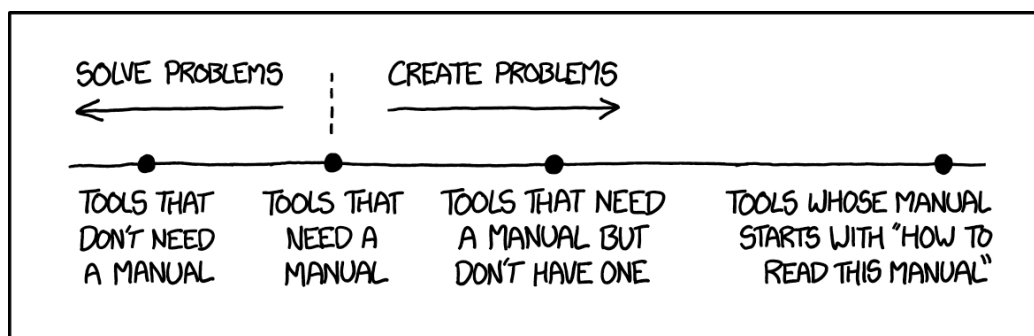


Figure 1: [Manuels](#)

---

# CONTENTS

<b>The Jump To University</b>	<b>5</b>
1.1 The Mindset Shift . . . . .	5
1.2 What Actually Changes . . . . .	5
1.3 Redefining Understanding . . . . .	6
<b>Lectures and Coursework</b>	<b>8</b>
2.1 Overview . . . . .	8
2.2 Online Learning Tools . . . . .	9
2.3 Recorded Doesn't Mean Optional . . . . .	10
2.4 Catching Up On Lectures . . . . .	10
2.5 Asking questions . . . . .	11
2.6 Giving feedback . . . . .	12
2.7 Coursework . . . . .	13
<b>Workshops and Other Resources</b>	<b>15</b>
3.1 First Year Mathematics Workshops . . . . .	15
3.2 AI and Outsourcing Thinking . . . . .	16
3.3 Other Resources . . . . .	17
<b>Problem Solving</b>	<b>19</b>
4.1 Building the Toolkit . . . . .	19
4.2 What to Do When You're Stuck . . . . .	21
4.3 On Gaining Insight . . . . .	21

4.4	Why This Matters	22
<b>Exams</b>		<b>24</b>
5.1	Structure of Assessments	24
5.2	Revision	24
5.3	Results	27
<b>Time Management</b>		<b>29</b>
6.1	Structuring Time	29
6.2	Overworking vs Avoidance	30
6.3	Life Outside the Degree	30
<b>Common Terms, Abbreviations, and Useful Links</b>		<b>32</b>

---

# THE JUMP TO UNIVERSITY

I was born not knowing and have only had a little time to change that

---

*Richard P. Feynman*

## 1.1 The Mindset Shift

At school, I became used to understanding things quickly. If I didn't understand something in class, I could by the end of the lesson. And if I didn't, I could do a couple questions and it would click. University maths felt different almost immediately.

Having worked at department offer holder days, one of the most common questions I get asked is: *'What's the jump actually like? Is it just harder? Is it just more content?'*

My honest answer has been, and still is: it's just different.

## 1.2 What Actually Changes

The most noticeable change is that you don't understand things straight away. I remember hearing this at open days but I don't think I understood this until experienced it firsthand.

At school, not understanding meant you needed more practice. University requires need more time, reflection, even different way of thinking about the problem. This

can be particularly difficult if you're used to being 'the maths person', or the one who usually gets it first, so change isn't just academic, it's psychological.

In many subjects or courses, you can revise by memorising key ideas, reading around the topic or absorbing information repeatedly until it sticks. Mathematics doesn't work like that. You can't (always) memorise your way into deep understanding or skim a proof and expect it to feel natural. You can't treat definitions as just some vocabulary words and hope they'll make sense.

## **1.3 Redefining Understanding**

If you ever feel confused or find yourself struggling, rest assured, you're not alone. It's incredibly common, normal, and all part of the process. A lot of the difficulty comes not from the material itself, but from the expectations you might place on yourself.

Mathematics is a conceptually difficult subject. If you approach each lecture or assignment with the mindset that you're expected to understand everything, or feeling confused means you're not good enough, the delay or lack of those things can feel like failure.

The challenging part is letting go of the need to understand everything immediately. This doesn't mean lowering standards, but adjusting expectations. Understanding at this level takes time and sitting with ideas that don't immediately make sense, as well as trying approaches that don't work and getting used to not always being the fastest or most confident in the room.

### **1.3.1 For When Your Brain Just Isn't Working**

The lecturer is speaking, and the words are technically English, and the notation seems familiar. The content might not even be complicated, and yet, nothing seems to land. You realise you've copied half a page without actually processing a single line and catch yourself been thinking about what you're going to have for lunch for the last 8 minutes.

This is normal and happens to the best of us. It does not mean you have suddenly lost the ability to think mathematically. Engaging with university mathematics requires sustained concentration in a way that school rarely did. The abstraction is higher and the cognitive load is heavier. Your brain will sometimes hit its limit, especially if you're tired, stressed, slightly underslept, or just adjusting to a new routine and environment.

Not every lecture will feel inspiring and not every topic will immediately excite you. On days when your performance is nowhere near optimal, lower the bar slightly. Pick one line or sentence on the board and ask yourself what it is actually saying. Or write down one question you would ask if you were brave enough, or underline one step in the proof that feels unclear and mark it to revisit later. Just write a short sentence that summarises what you have learned so far, or questions if you're confused about something. Small physical adjustments often help reset focus more than you'd expect.

And if you're brain truly isn't cooperating despite your best efforts, just accept that for what it is. Stay present as best you can, then review the material later when you're more alert.

The key message here being, one unfocused lecture does not define your trajectory<sup>1</sup>. Boredom, distraction, fatigue- it's all part of the learning experience, and learning to work with them rather than against them is part of becoming a good learner.

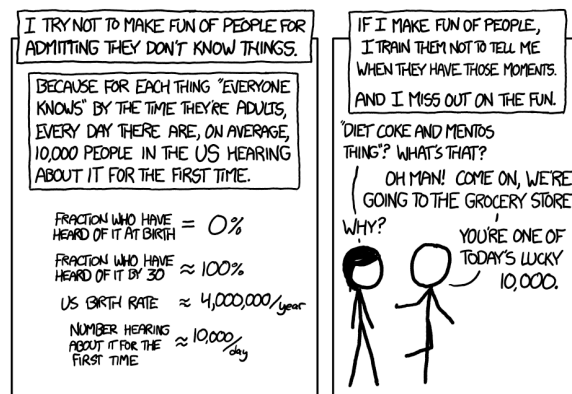


Figure 1.2: **Ten Thousand**

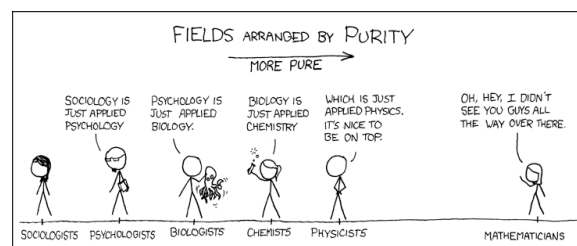


Figure 1.3: **Purity**

<sup>1</sup>Pun intended

---

# LECTURES AND COURSEWORK

The brain is a wonderful organ; it starts working the moment you get up in the morning and does not stop until you get into the office

---

*Robert Frost*

## 2.1 Overview

In your first year, your typical week will consist of a mixture of lectures, seminars, tutorials, problem classes, labs, coursework and workshops.

For example, in my first semester, I had four modules consisting of three lectures a week and a problem class lasting 45 minutes. Alongside this, I had Core Skills and workshop sessions, which left me plenty of time to be involved in a range of clubs and societies.

### 2.1.1 Core Skills

Core Skills is a compulsory and non-credited module that is taken by everyone in the first year.

As part of the module, you will have to pass two Core Maths Skills Tests, one per semester. The tests gives you a way of making sure you have these skills right from

the beginning of your study (Semester 1) and as your study progresses (Semester 2). Both of these are online exams that can be taken repeatedly until you have passed.

There are also scheduled sessions on employability and digital skills. These sessions are designed to maximise your digital literacy and employment prospects during and after your degree.

### 2.1.2 Problem Classes

Each module will have a weekly problem class. These are quite different from lectures. Instead of listening to new material being introduced, the focus is on working through questions and understanding how the ideas from the lectures actually get used.

The exact format can vary slightly between modules and lecturers. Sometimes the lecturer will go through selected problems on the board, sometimes students will suggest questions they want to see explained, and sometimes you go might go through some coursework questions.

One of the most important thing you can do to make problem classes useful is look at the problems beforehand. If you walk into a problem class having never seen the sheet before, it's much harder to follow what's going on and becomes easy to just copy down solutions without really understanding them.

## 2.2 Online Learning Tools

You'll become familiar with a variety of names very quickly: **Blackboard**, **Seats**, and **Panopto**

Blackboard is the university's online learning platform where lectures notes are uploaded, announcements are posted and the coursework and recordings are stored. If something official happens in the module, it will most likely appear there. It's useful having a quick look at notes before the lecture if you can, even just seeing the headings can make it much easier to follow what's happening when you're sitting in the lecture hall.

Panopto is where you can access lecture recordings, including historical recordings.

One of the most useful things you can do in the first week is link your timetable to your own calender, whether that's Google Calendar or something equivalent. Remember that universities will not chase you the way school did. There are no

bells and no-one reminds you every morning where you're supposed to be, so the responsibility shifts to you.

Seats is the system used for timetabling and attendance. It shows your lecture locations, times, and room numbers. It's also how attendance is recorded. At the start of lectures, a QR or Seats code will be displayed on the board which students can scan or type to register their attendance on the app.

## 2.3 Recorded Doesn't Mean Optional

You will quickly realise that most lectures are recorded, and at some point you might be tempted to think, 'I can just watch it later', especially on a cold and rainy morning, or after a late night, or when the idea of sitting in a lecture feels mildly exhausting.

I cannot stress this enough, but being physically present in a lecture matters more than you think. When you are in the room, you are less likely to pause a video and get distracted by your phone. You are also less likely to tell yourself that you'll 'finish it later' and risk not coming back to it. You are more likely to stay with the explanations as they unfold, even if you don't fully understand them yet. You hear the throwaway comments that never make it into typed notes, and pick up on the emphasis in the lecturer's voice when they say something is important, and that emphasis stays with you.

There is also something about the collective focus that recordings cannot replicate. Sitting in a room full of people who are all attempting to follow the same proof creates a concentration that watching it alone at 1.5x speed, half distracted cannot compete with. In addition to that, you are able to ask questions during or after the lecture if you attend in person.

Recordings are useful, in fact, they are incredibly useful for revision or revisiting a proof if that felt unclear the first time. They are a safety net, but not a replacement for showing up.

## 2.4 Catching Up On Lectures

At some point, you may very well miss a lecture. Maybe you were ill, overslept, or just needed a morning off. It happens, and one missed lecture is not a crisis.

The trick to avoid spiralling is to catch up quickly. If you miss a lecture, watch the recording within a day or two while the topic and notation is still familiar. Don't

let it all pile onto future you.

When you do catch up, don't treat the recording like a background noise. Try to follow the argument yourself. Stop and ask whether you understand what each part is doing.

You won't always find it easy to sit down and follow a lecture, I certainly couldn't at all times. In fact, at one point in Semester 2, I'd go to the gym on weekends, get on one of the stationary bikes and rewatch my Calculus lectures while cycling. I wasn't taking notes or anything, but I was surprisingly engaged with the material. There isn't a single 'correct' way to study and sometimes, the hardest part is just getting yourself to engage with the material at all, so if something slightly unconventional helps you do that, it's probably worth trying.

## 2.5 Asking questions

If you ever find yourself sitting in a lecture room, slightly unsure about a definition or confused about some step in a proof, and you look around the room and everyone else looks calm, and you might think, 'Maybe it's just me'.

It almost never is. Most people are running through the same internal debate of 'Is this worth asking? Is this obvious? Is this too stupid of a question?', etc.

Questions like 'How did we go from Line 1 to Line 2 of this proof', or 'Is there an example where this conditions fails?' are perfectly good questions to ask in lecture. There are no stupid questions.

By asking questions, you benefit yourself and others, including the lecturer. Learning mathematics is a process and asking questions is part of that process. If asking during the lecture feels too intimidating, most lecturers are more than happy for students to ask them at the end of the lecture, or during office hours and workshops.

### 2.5.1 Talking in lectures

Lectures are shared learning spaces and everyone in the room is trying to concentrate on the same material. It might seem harmless to chat quietly during a lecture, but even small conversations can be a distracting for the people sitting nearby especially with an attention demanding subject like maths.

More importantly, it's also a matter of respect. The lecturer has prepared the material and everyone else in the room has chosen to be there to learn. Talking over them or holding side conversations can come across as rude even if that isn't the intention.

If you want to discuss something with the person next to you, it's usually better to wait for a natural pause, write it down somewhere, or bring it up after the lecture. When everyone treats the lecture space with a bit of consideration, it makes it much easier for everyone else to follow what's going on.

## **2.6 Giving feedback**

At some point in the semester, you'll be asked to complete SSLC or mid-semester feedback forms. It's very tempting to either rush through them and give vague feedback, or completely ignore them.

Feedback only works when many students contribute and when what they write is useful. One vague comment does nothing, but ten clear comments pointing to the same issue are hard to ignore.

Bad feedback describes a reaction, good feedback gives information someone can act on. Writing 'Confusing lecture' doesn't give anyone anything to work with, whereas writing 'There are too many definitions and very few examples to see how those definitions work' or 'slides move on before there's time to copy examples' is useful.

Lecturers are not mind readers. They've worked with the material for years, so what feels obvious to them may not be obvious to you. If many students are lost but say nothing, nothing changes. Feedback helps the lecturers who can adjust delivery or structure which turn benefits the cohort, and it also helps you because explaining confusion forces you to think about what you didn't understand.

### **2.6.1 Pace of lectures**

Some lectures may feel fast. This often happens when you're seeing abstract ideas for the first time. That discomfort is normal as understanding usually comes after repeated exposure and not always during the first pass.

Other lectures will feel slow, perhaps even repetitive, and you may find yourself zoning out because you think you already understand it. Instead of disengaging, use that time to look deeper into what is being taught, asking why the definition is phrased in a certain way, or what breaks if an assumption is removed, or even how the idea connects to something you've already seen.

The pace of a lecture may not match your personal learning speed exactly, and that's normal. But if something feels consistently unreasonable, say so clearly and specifically in feedback or directly to the lecturer.

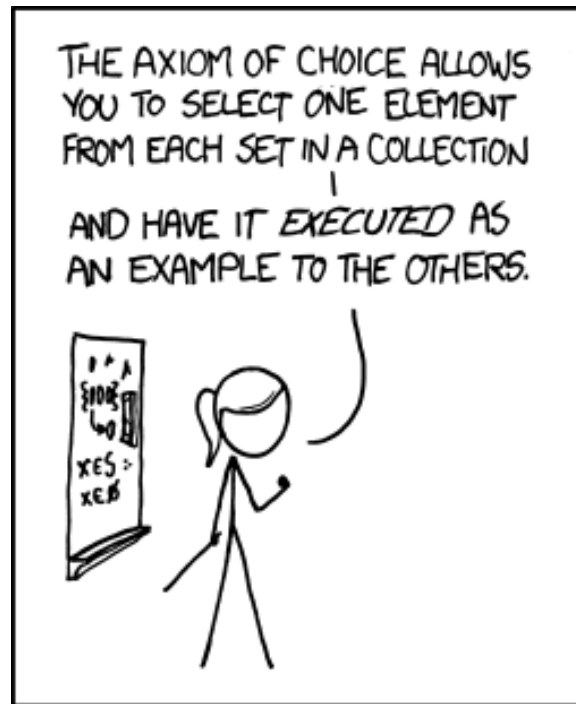
## 2.7 Coursework

Most modules include coursework, usually in the form of weekly problem sheets. These are typically released on a fixed day and due the following week, although the exact timing varies by module. Some are submitted on paper, others through online systems.

For example, in my Year 1 Semester 1, I had weekly online questions for my Stats module, alternate weekly problem sheets for Number Theory, and weekly problem sheets for Linear Algebra and Calculus.

Often with things like coursework, the hardest part is simply starting. A common pattern is to ignore the sheet for a few days, glance at it midweek, and then realise late in the weekend that nothing has been attempted. What helped me most was treating coursework as part of the structure of the week rather than as something to squeeze in around everything else. In other words, not waiting until I felt like doing it, but deciding in advance when I was going to sit down and at least make a start.

Coursework tends to go much better when you give yourself time to think, get stuck, ask questions, and come back to things, rather than trying to force the whole process into one stressed evening. And If you get really stuck after making a genuine attempt, that is exactly what workshops, office hours, and discussions with others are there for.



MY MATH TEACHER WAS A BIG BELIEVER IN PROOF BY INTIMIDATION.

Figure 2.4: [Set Theory](#)

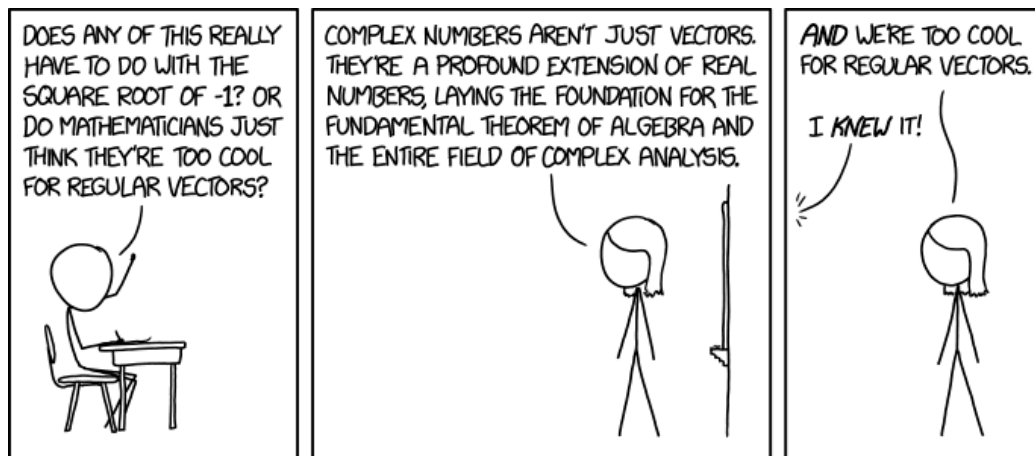


Figure 2.5: [Complex Numbers](#)

---

# WORKSHOPS AND OTHER RESOURCES

To doubt everything or to believe everything  
are two equally convenient solutions; both  
dispense with the necessity of reflection.

---

*Henri Poincaré*

## 3.1 First Year Mathematics Workshops

### 3.1.1 Introduction to Workshops

Maths Workshops are interactive and supportive sessions that are designed to help students mainly with coursework and classes, but welcome students to come and ask questions about any aspect of the maths. These are held daily in the [Maths Student Centre](#) and the timetable for them is published on Blackboard once the semester starts. First year students can get help from the member of staff present there or any of the designated 'workshop helpers', who are usually third-year or postgraduate students.

### 3.1.2 More Than Just Coursework Help

When I first started, I thought the first year workshops were basically just getting help for your coursework and nothing else. But the biggest difference I noticed

was that when I genuinely struggled with a problem, even if I got nowhere, the workshop became the most valuable resource.

If you go hoping someone will just show you the solution from scratch, you leave having learned much less than you could have. Even 15 minutes of serious attempt make major impact as it makes you aware of where you're stuck, and gives you something specific to ask about.

## 3.2 AI and Outsourcing Thinking

It would be highly ignorant and unrealistic of me to not talk about Generative AI. We all know it exists and it can generate solutions instantly. And sometimes, it is useful, it can clarify notation or rephrase definitions and help fill in some gaps in reasoning.

However, the biggest drawback of AI is that it removes the part of the process that actually builds the understanding. If you ask AI to generate a full solution to a problem you haven't seriously attempted, you might feel productive, even pleased looking at the solution, but you've just skipped the uncomfortable but crucial bit where your brain learns by trying, failing, and reattempting ideas. And that's the uncomfortable bit where understanding takes place.

GenAI is very good at doing things, so it's tempting to just ask it for answers. But imagine training for a marathon with a personal trainer. You wouldn't expect your trainer to do all the running and training for you and then expect yourself to perform well on race day. Their role is to challenge you, guide you, and help you get stronger.

Generative AI should be used in the same way. There is a difference between using AI to complement your learning, and using it to replace your work and your thinking entirely, and it is important that you be honest with yourself about which one you're doing. At the end of the day, you are the one being impacted by your use/misuse of AI, so take accountability.

The university has its own recommendations on using GenAI, so I urge you to read it<sup>2</sup> because it matters not only due to academic integrity, but because this degree is about learning to think independently.

---

<sup>2</sup>Link to guidance can be found [here](#)

## 3.3 Other Resources

Alongside lectures and problem sheets and office hours, there are a number of external resources that can help clarify ideas or offer a different perspective. This is not an exhaustive list, just a few that I've found useful in the first year.

### 3.3.1 YouTube Channels

#### [Michael Penn](#)

Amazing channel, I found it very useful for some Number Theory and Linear Algebra concepts. Also has some great content if you want to explore topics deeply.

#### [Dr Trefor Bazett](#)

Very useful channel when you want a direct, worked through explanation of a topic. I found it very useful to visualise some multivariable calculus topics.

#### [Minute Physics](#)

Has fun whiteboard-style time-lapse videos that help explain physics concepts entertainingly.

#### [StatQuest with Josh Starmer](#)

Probably one of the best channels for developing intuition in statistics

#### [3Blue1Brown](#)

By far one of the best places to go to if you want to build intuition for topics, especially in Linear Algebra and Calculus.

#### [Numberphile](#) and [Computerphile](#)

The videos may not directly help with anything specific, but they do keep the curiosity around the subjects alive!

### 3.3.2 Online resources

#### [Paul's Online Maths Notes](#)

Practical and reliable resource, especially for Calculus-style topics and worked examples.

#### [Reading List](#)

Some modules have recommended textbooks, and you can find the reading list by searching the module.

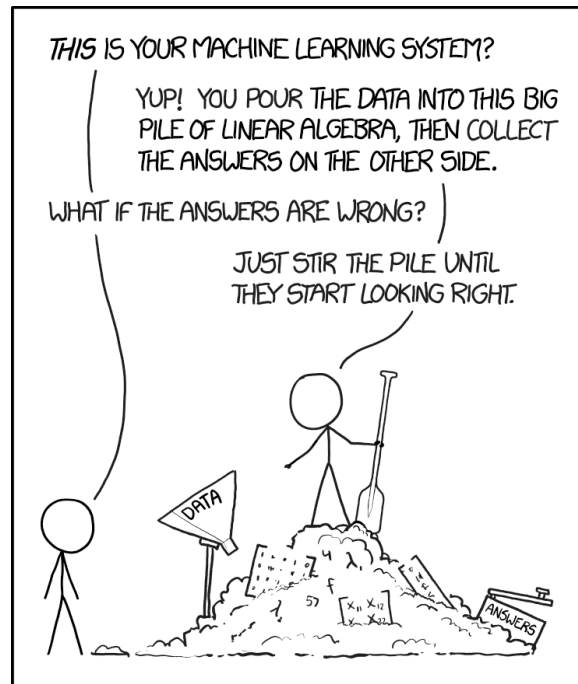


Figure 3.6: **Machine Learning**

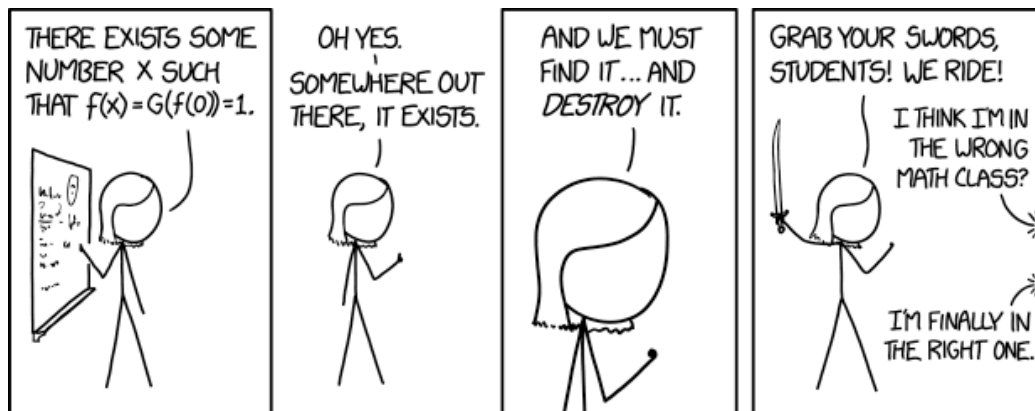


Figure 3.7: **Existence Proof**

---

# PROBLEM SOLVING

If you can't solve a problem, then there is an easier problem you can solve: find it.

---

*George Pólya*

## 4.1 Building the Toolkit

In this chapter, I want to challenge the idea that a Maths degree is just about learning more advanced techniques.

If there's one thing worth holding on to while studying mathematics, it's that every definition, theorem, and technique exists because someone, at some point, was trying to solve a problem.

When you first meet a new topic, it can feel like a wall of definitions followed by results you're expected to accept and apply. But mathematics did not begin as a fixed collection of rules. It began with curiosity. The ideas you learn were built to understand patterns, resolve contradictions, and make sense of problems that genuinely puzzled people. What you usually see at university is the finished structure, not the messy exploration that led to it. You won't always see the motivation straight away and that's normal. But it's still worth remembering that the mathematics you're learning exists because someone cared enough about a problem to keep thinking about it.

And in a way, that is what you are stepping into when you study mathematics.

What this degree really develops is how you respond when you don't immediately know what to do. It's training you to sit with uncertainty without panicking, to break a large problem into smaller parts and identify structures where none seems obvious in the first glance.

When faced with something unfamiliar, mathematics teaches you to ask:

- What do I actually know?
- What is the definition here?
- What would have to be true for this to work?
- Can I test a simpler example with numbers before generalising it?

### 4.1.1 Notes That Actually Help

You might spend the first few weeks trying to find the 'right' way to take notes for something like Mathematics. Some people swear by handwriting because it slows them down, others type in  $\text{\LaTeX}$  or something else because it might be neater and easier to organise, some annotate the lecture slides or notes directly. There is no 'one-size-fits-all' here. What works brilliantly for one person might be useless for another.

The only reliable test is whether the system helps you think critically or not. If you find yourself with beautiful notes on the most recent Calculus lecture you attended but have no idea on how to approach the problem sheet, something needs to change. If you find not making any notes in lectures and reviewing information later in the evening helps ideas settle, try that. Or if you realise handwriting slows you down, see if you can find a way to condense information instead of copying a lot of things down.

The goal here is not to produce the most elegant looking notes amongst your peers, but to build understanding that you can use for yourself. You are not being graded on your notes, but on your thinking, so ensure that the learning resources you use/build contribute to your thinking.

### 4.1.2 Explaining Things Out Loud

One habit that has helped me more than any particular note-taking method was explaining things out loud.

A good test to see if you've understood something is usually later in the day or in the week, close your notes and try to explain the main idea either to a friend or out

loud.

You very quickly discover what you don't understand when you try to speak it. On paper, everything can look fine. But the moment you try to explain why some assumption is necessary, or why an implication follows, you feel the gap immediately. If you can explain a concept to someone else, even to an imaginary audience without constantly checking your notes, you are much closer to understanding a concept than if you simply reproduce what was written in the lecture.

## 4.2 What to Do When You're Stuck

Problem solving sounds very inspiring until you're staring at Question 4 from Coursework 2 at 10:37pm or 38 minutes into the exam and your brain has gone offline. There will be moments in lectures or problem sheets or exams where you may genuinely not know how to begin.

The instinct when stuck is often to rush, to scan the question faster or hope something jumps out. Instead, try and slow down. Read the question again. What is actually being asked? Rewrite the question in simpler terms and alongside it, any definitions or theorem you can recall about what is being asked. This does two things. First, it forces your brain back into structure and something you do know rather than panic. And secondly, everything that you need is given to you in the words of the question, and once you have unpicked the most important parts, you have part of a path forward.

## 4.3 On Gaining Insight

One of the hardest things to unlearn at university is the urge to look at a solution the moment you feel stuck. Once you've seen someone else's solution, you can never recreate the benefit of discovering it yourself. Even if you don't solve the problem completely, struggling with it, forming wrong ideas, testing different approaches and hitting multiple dead ends does far more for your mathematical growth than neatly following a polished answer ever will.

To illustrate this with an example, I remember getting stuck on a problem in my Linear Algebra II module that, in hindsight, was conceptually quite simple: showing that a certain set of functions formed a vector space. The technical details are not that important here.

On the one hand, I could've easily looked up the proof or asked AI to generate it in a few seconds, and it would probably have given me something correct and tidy. It might even have felt satisfying in the moment, but I suspect I would have mostly walked away with the illusion of understanding.

Instead, I was in the workshop where I had my lecturer from the module present to talk me through the problem and refine the gaps in my thinking. Rather than being simply told what I had to write for the proof to fall out, we started from what I did know about the definition of additive identity and what it was supposed to satisfy, namely the condition  $f + 0 = f$ , then treated this like an equation and worked out what this mysterious 'zero function' would look like.

Arriving at that idea, and more importantly, learning how to justify it properly, was the real insight. But that insight didn't come from seeing the finished proof, but from wrestling with the gap between knowing the definition and knowing how to write it in the abstract way the questions asked me to. Now, if I had skipped that part and just read up the solution, I would have 'known' the answer, but would have lost the experience of learning how to reconstruct that kind of proof myself.

And that's the difference. When you outsource your thinking, you might take pride in being incredibly efficient. But the price of efficiency is ownership, and the price of speed is insight, and with a subject as elegant and satisfying like Mathematics, that trade is just not worth it.

## 4.4 Why This Matters

This reason these problem solving skills matter is not because you will be constantly proving theorems outside university. It matters because the habits transfer. Learning how to decompose complex problems into manageable parts, staying calm under uncertainty, testing assumptions, communicating reasoning clearly. These are all thinking skills that reshape how you approach problems in the real world.



ALL ADVANCED MATH TECHNIQUES

Figure 4.8: **Advanced Techniques**

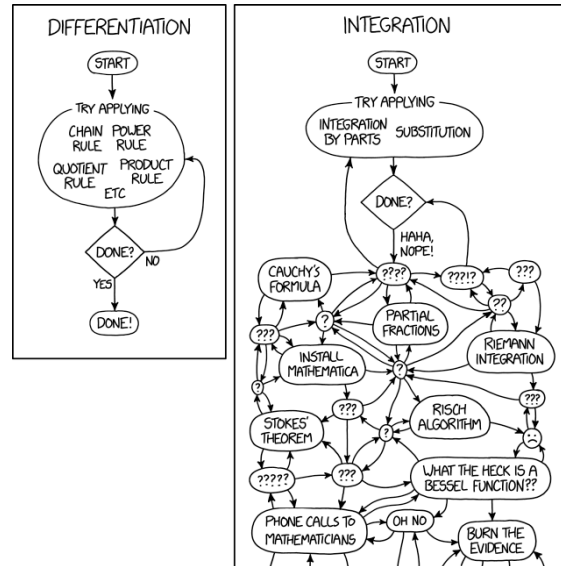


Figure 4.9: **Differentiation and Integration**

---

# EXAMS

The epigraph for this chapter is left as an exercise to the reader

---

## 5.1 Structure of Assessments

Assessment in the first year is usually a mixture of coursework and written or online exams. The exact weighting varies between modules, so it's always worth checking the information provided on Blackboard or the module page at the start of the semester. Lecturers will usually explain the assessment structure in the first few weeks of the module as well.

All first year modules also have a written in-person exam at the end of the semester. These typically take place during the university's official exam periods which is in January for Semester 1 modules and in the summer for Semester 2 modules.

## 5.2 Revision

### 5.2.1 Using Past Papers

Past papers are one of the most useful revision tools you have, but also one of the easiest to misuse.

It's very tempting to just load up a paper, try a question for a few minutes, get stuck, look at the solution, understand it and move on. The most important thing is to give yourself time to think before reaching for help. So if and when you don't know how to start a question, sit with it for a bit. Even if you don't solve it completely, that thinking time matters and it's what builds the ability to approach unfamiliar problems.

If you look at a solution, try to reconstruct the proof yourself without looking. If you can't, that's a sign you didn't fully understand it yet, and that's fine.

Try to not let past papers become the syllabus. It can be easy to fall into the habit of revision from the papers instead of using them as a tool to test your understanding. Exams don't always test whether you've seen a question before, but whether you understand the material well enough to deal with something slightly unfamiliar. So if your revision is entirely based on past papers, a small variation in a problem can make it feel like you've never seen it before.

## 5.2.2 Dealing with Stress

There is a particular kind of stress that arrives a few days before exams begin, and it's not really about content. It's about doubt.

You start asking questions that don't have neat answers. Have I revised enough? What if I've focused on the wrong topics? What if the paper goes badly? What if I've misunderstood something fundamental? What if...? what if...? what if...?

The mind becomes very creative under pressure. At some point it stops being about mathematics and starts being about catastrophe. Exam stress, dread, and self doubt are incredibly common, especially among people who care deeply about their subject. But even knowing that, it's easy to feel alone when you're in the middle of it.

I remember feeling this intensely before my first January exams in Semester 1. I was convinced I hadn't done enough, that I was about to fail half my modules, and those thoughts seemed to be louder than any rational argument I could make.

I fondly remember speaking to my tutor about how stressed I was, and one of the first things he said to me was:

*"It's gonna to be alright. I'm not saying you're gonna feel alright about it. I'm just saying it's gonna to be alright."*

I asked him how he knew, to which would response was, *"How? I don't know. It's a mystery."*

Then he showed me a [clip from Shakespeare in Love](#), where Philip Henslowe says exactly that line when everything seems to be falling apart.

Watching an 18 second YouTube video wasn't exactly the kind of reassurance I expected going into that conversation, but there was something comforting about that phrase. Something about it stayed with me, and it wasn't because it removed the stress (it didn't) but rather that it removed the demand to know, to predict, to control. It wasn't saying I wouldn't worry, but that uncertainty doesn't mean catastrophe.

Later that evening, I printed out the script from Shakespeare in Love and put it on my wall. Since then, every time my mind started racing or I felt like I was catastrophising scenarios, I would look at it and smile, slightly against my will.

I don't think the lesson here is that exams should feel easy, or that stress can be eliminated entirely. The lesson, at least for me, was simpler than that.

You revise as well as you can, sit the paper, and attempt the questions in front of you with whatever you can bring to mind that day.

Going in with that mindset feels very different from walking into the exam convinced you're either going to ace everything, or on the flip side convinced you're going to fail everything. Both extremes are unhelpful: one sets you up for pressure, the other for panic.

Whereas if you accept that you don't know exactly how it will go, and that you might surprise yourself in either direction, you can focus on thinking clearly instead of predicting the outcome.

And once the paper leaves your hands, some part of it really is a mystery.

### **5.2.3 Comparison**

Comparison is one of the fastest ways to drain your confidence during revision.

You will overhear conversations about how much or how many hours someone else has done, see people in the library morning to night, or someone say how they've completed every past paper twice.

None of that gives you actual useful information. You don't know how well they understood the material, or what their starting point was, or even whether what they are telling you is the entire truth or only a fraction of it.

The only revision that matters is yours. There will always be someone who appears more prepared, more calmer, or understands things instantly. Just because someone

else appears better or smarter than you, doesn't make you any more or less good. Someone else understanding a concept quickly does not make you any less capable.

The person who seems completely calm might also be unsure, and the student who answers questions confidently in lectures might have struggled with a different topic entirely. Nobody every has it 'all worked out'. Comparison is always based on partial information, you rarely get to see the full picture. And during revision when anxiety and adrenaline are already elevated, comparison amplifies doubt without adding any insight.

Mathematics is not a race in a straight line. Intellectual growth is personal, and often invisible. So let other people exist, let them be brilliant and revise in their way. Your task is not to outperform everyone, but to engage the best you can with the material in front of you.

## 5.3 Results

During exams you're busy thinking, writing, calculating, trying to make sense of questions under time pressure. But once the results come out, the thinking changes. You're no longer solving problems but instead interpreting a number and trying to decide what it means about you.

The reaction to good results isn't always excitement, sometimes it's thoughts like 'Did I actually deserve that?' Or 'I didn't work hard enough to deserve that grade'. It's that strange feeling of somehow getting away with something.

If you've ever had that thought, you're not alone. Mathematics has a way of making people doubt themselves even when things go well. The subject constantly shows you how much more there is to learn, so it's easy to feel like you're always a step behind. But you're allowed to accept the result you earned, you're allowed to have done better than you expected.

The opposite reaction can happen too. Sometimes you work incredibly hard and the result feels disappointing and that can be much harder to process. When you've put hours into something, it's easy to let one number turn into a judgement about your ability.

That voice can be very convincing in the moment. Remember that results are merely a snapshot of how things went in a particular exam, on a particular day, under particular conditions. It's easy to believe that the world is like a neat function, that the effort your input always results in the outcome you want, but the world is uncertain and full of variables beyond our control. That doesn't mean your effort

was wasted, it just means your effort isn't the only deciding factor, and it definitely doesn't mean your worth is defined by one exam or one outcome.

In first year especially, it's worth keeping a bit of perspective. The marks from first year don't count towards your final degree as long as you pass the modules. Now, that doesn't mean the year doesn't matter. It absolutely does, in fact, it's where a lot of the real learning happens and it does count for any placements or internships you might want to apply. But it does mean the stakes aren't quite as catastrophic as your brain might try to convince you.

If things genuinely don't go according to plan, there are formal processes in place like summer resits, **special considerations**, etc. It's always worth checking in with your tutor following results if you find yourself in that situation.

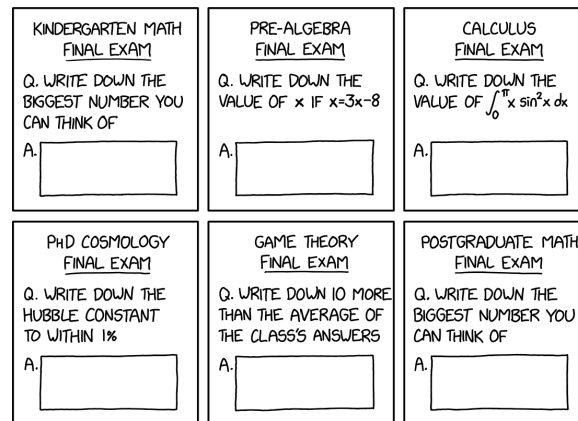


Figure 5.10: Exam Numbers

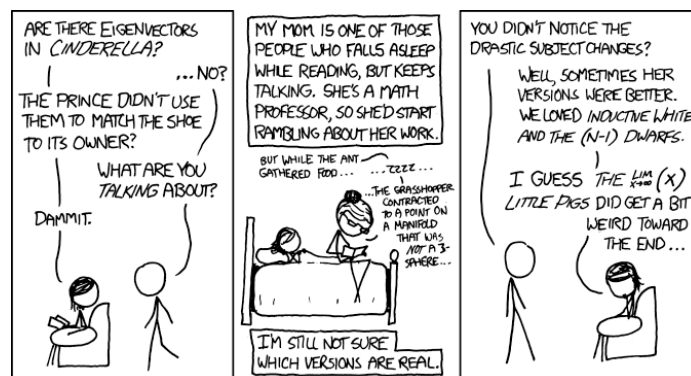


Figure 5.11: Fairy Tales

---

# TIME MANAGEMENT

The bad news is time flies. The good news is you're the pilot

---

*Michael Altshuler*

## 6.1 Structuring Time

There is a funny shift that happens in the first few weeks of university. No-one tells you what to do between lectures.

You might have three lectures in the morning and then nothing scheduled until the following afternoon. That looks like a lot of free time but in reality, it's hours of unstructured time. And unstructured time has a habit of disappearing.

Time management in a Maths degree isn't about cramming more hours in, but about avoiding last-minute panic. Maths needs uninterrupted thought. One hour of undistracted thinking is worth more than three hours of broken attention. If you have a two hour gap between lectures, don't assume it's automatically productive time. Decide in advance what you're going to do. Sometimes you might be tired and use that to relax and read a novel or a hit the gym, or maybe you didn't quite understand the last 10 mins of the previous lecture and want to review the notes. It doesn't matter what you do, as long as it's intentional.

## 6.2 Overworking vs Avoidance

It's easy to confuse burnout with avoidance. If you are avoiding starting because the work feels uncomfortable, that's one thing. Usually once you begin, the momentum builds. However, if you're staring at the page feeling exhausted and unable to process even simple steps, that's something else.

Being honest about which one you are experiencing is important. There is no pride in pushing through exhaustion just to prove you can, and equally, there is no growth in endlessly procrastinating out of fear.

If you find yourself consistently overwhelmed, talk to someone. That could be your personal tutor, the [Student Hub wellbeing team](#), the [SUSU advice centre](#), or even your friends. University has systems in place because they know how common it is for students to struggle with these things.

## 6.3 Life Outside the Degree

It can be quite easy for your degree to consume everything. And sometimes that feels good, but remember that university is not just a degree factory.

There are lots of [clubs and societies](#), sports, random Wednesday evenings that end up in unexpectedly good memories. Making time and space for those things is part of the experience, not a distraction.

I have always found that I think more clearly after stepping away from a problem having spent a considerable amount of time on it. Some of the best insights into problems and questions arrived while I was engaged in something else entirely like cooking or rowing.

There will be weeks where the workload increases and the social things need to take a slight step back, and there will also be weeks where you might say yes to more events outside of academics. Whatever it might be, balance is not something you're expected to achieve once and then maintain perfectly, it requires constant adjustment.

If you're always exhausted, something needs to change. If you're always disengaged, something also needs to change. Doing a maths degree can feel intense at times as it demands genuine critical thinking. But it still is a degree, not your entire identity. So work hard, and also remember to close the notebook sometimes and have fun.



---

# COMMON TERMS, ABBREVIATIONS, AND USEFUL LINKS

An undefined term is the beginning of every  
definition

---

*Bertrand Russell*

Throughout this guide, a number of links, terms, and abbreviations come up repeatedly, which are now collated here for reference.

## **The Student Hub**

24/7, first point of contact support service for students providing advice and guidance on things like wellbeing, finance, accommodation, etc.

## **SUSSED**

The University's main intranet portal used by students and staff for news, updates, events, and quick links to key services.

## **School of Mathematical Sciences**

### **PAT** - Personal Academic Tutor

A member of staff who will help you settle in your studies, support your academic progress and act as a key contact for queries, or direct you to other support services if you need it.

### **Office Hours**

Designated times when lecturers are available for students to drop by to discuss

academic content, feedback, or module-related questions outside of scheduled lectures.

### **Formative and Summative Assessments**

Formative mark doesn't count towards your final mark for the module; summative counts towards the final mark.

### **Accreditations**

Actuarial science programmes at the University of Southampton are accredited by the **Institute and Faculty of Actuaries (IFoA)**, allowing students to gain exemptions from core principles examinations (CS1, CS2, CM1, CM2, CB1, CB2). Key accredited programs include BSc Mathematics with Actuarial Science and BSc Economics and Actuarial Science. For further details, contact Actuarial Sciences course lead.

### **CATS/ECATS**

Systems used to measure and transfer academic credit for modules and degrees.

### **SSLC** - Student Staff Liaison Committee

Meeting where student representatives and academic staff discuss and resolve issues, enhancing the overall education and student experience

### **Course and Academic Reps**

Students volunteers who collect feedback on teaching, learning, and assessments to improve the student experience and liaise with staff in SSLCs.

### **SUSU** - Southampton University Student Union

A student-led organisation independent from the university that is run by students, for students.

### **SUMS** - Southampton University Maths Society

### **SUAS** - Southampton University Actuarial Society

### **Library Services**

### **Library - Academic Skills Service**

### **Library: GenAI - Searching and Generative AI**

### **Student Accommodation**

### **Kitchen School**

A hands-on, expert-led cookery program for students designed to teach basic culinary skills, healthy cooking, and food safety.

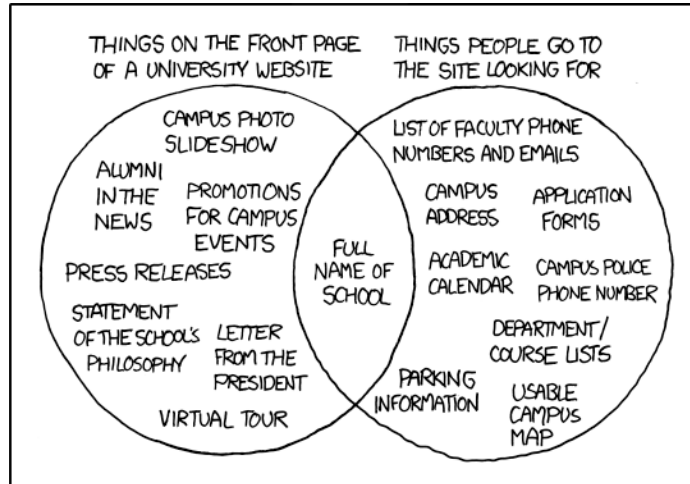
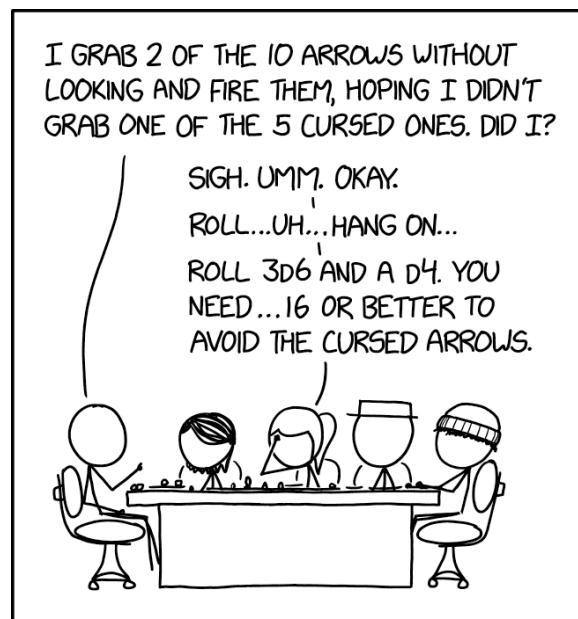


Figure 7.14: [University Website](#)



I GOT WAY MORE ANNOYING TO PLAY D&D WITH ONCE I LEARNED THAT OUR DM HAS A COMBINATORICS DEGREE AND CAN'T RESIST PUZZLES.

Figure 7.15: [DnD Combinatorics](#)

---

# LIST OF FIGURES

1	Manuels	2
1.2	Ten Thousand	7
1.3	Purity	7
2.4	Set Theory	14
2.5	Complex Numbers	14
3.6	Machine Learning	18
3.7	Existence Proof	18
4.8	Advanced Techniques	23
4.9	Differentiation and Integration	23
5.10	Exam Numbers	28
5.11	Fairy Tales	28
6.12	Time-Tracking Software	31
6.13	Collatz Conjecture	31
7.14	University Website	34
7.15	DnD Combinatorics	34